## Lambert, Johann Heinrich (1728-1777)

A philosopher, physicist, astronomer, and mathematician, member of the Munich Academy (1759) and the Berlin Academy (1764), and Prussian Surveyor of Public Works, Lambert developed his "Semiotics" in the framework of his New Organon (1764) where, in addition to the "Dianoiology" (doctrine of the laws of thinking), the "Alethiology" (doctrine of \*truth), and the "\*Phenomenology" (doctrine of appearance), a sign system is presented under the ideal of algebra. Semiotics must reconstruct \*signs as a basis of knowledge and logic, and it applies "without distinction to philology, criticism, linguistics (grammar), and \*philosophy." The "tyrant" linguistic usage, which "led to a thousand anomalies and divergences from general rules" [1764:\$1; all cited \$ refer to "Semiotics," translated by C.H.] must be corrected and made precise, since it provides the basis for the genesis of concepts. Concepts have to be connected precisely with words, whose definitions shall not run contrary to it (1764:\$302). Thus, Lambert's semiotics is placed between the ideals of the *mathesis universalis* and \*hermeneutics (Hubig 1979a).

The ideal of *mathesis universalis* is realized in postulating an isomorphism between the system of things and the system of signs (1764:§23). It is through this isomorphism that operations with signs accomplish what otherwise would have to be resolved by concepts, e.g., that it appears "as if the object itself lay before one's eyes" (1764:§24).

Two classes of signs are distinguished: characteristic signs denote concepts symbolically while natural signs have a metaphysical function, referring directly to matter as experienced through sensations. For a concept of an object to be constituted, signs are necessary so as to recall non-persistent sensations to memory. "Symbolic knowledge is a necessary auxiliary for thinking" (1764:§12). Scientific knowledge requires a "double \*translation": matter is translated into sensations (natural signs) which are in turn translated into a language of symbols. The connection between these two sign levels is accomplished by a theory. Signs are more complete the more implicit \*meaning is made explicit in them. This is achieved, for example, in the presentation of logical relations by topological relations between lines that represent \*terms. In this way the relation of signs among themselves can be manifested (Wolters 1980:ch.3). The classification of signs depends on the ideal of clarity. As "scientific signs" Lambert takes into consideration only the signs of choreography, of compass cards, the presentations of Aristotelian syllogisms as developed by Lambert, angle signs, signs for genealogical trees, the system of numbers, and algebra itself (Nef 1976a). He distinguishes signs by which matter is directly represented from those functioning as mere imitations of sensations and images of sensations. The words of natural languages are not complete signs, because there is no isomorphism between them and objects. \*Language therefore has only a "hypothetical" character (1764:§329), and its hypotheses can only be confirmed by consideration of its subject matter. C.H.